

A. Carnival General

Problem Name	Carnival General
Time Limit	1 second
Memory Limit	1 gigabyte

Every four years, the students of Lund come together to organize the Lund Carnival. For a few days, a park fills with tents where all kinds of festive activities take place. The person in charge of making this happen is the carnival general.

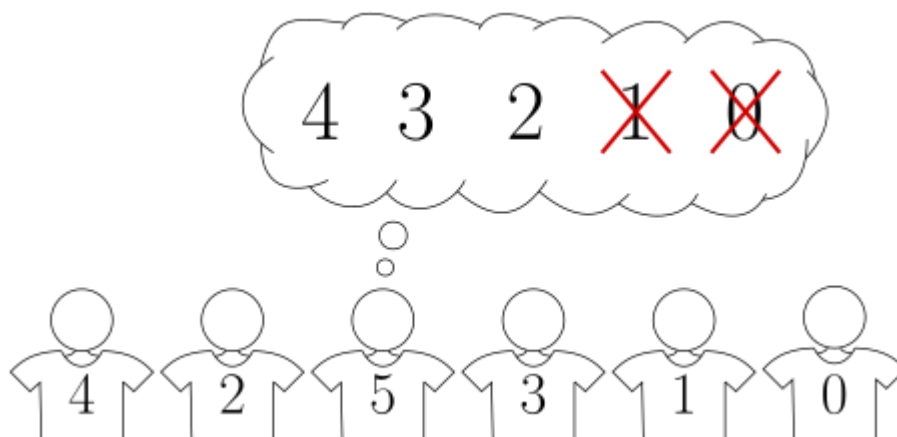
In total, there have been N carnivals, each with a different general. The generals are numbered from 0 to $N - 1$ in chronological order. Every general i has given their opinion on how good their predecessors were, by publishing a ranking of the generals $0, 1, \dots, i - 1$ in order from best to worst.

The next Lund Carnival will be in 2026. In the meantime, all past carnival generals have gathered to take a group photo. However, it would be awkward if generals i and j (where $i < j$) end up next to each other if i is **strictly** in the second half of j 's ranking.

For example:

- If general 4 has given the ranking $3 \ 2 \ 1 \ 0$, then 4 can stand next to 3, or 2, but not 1 or 0.
- If general 5 has given the ranking $4 \ 3 \ 2 \ 1 \ 0$, then 5 can stand next to 4, 3 or 2, but not 1 or 0. Note that it is fine if one general is exactly in the middle of another's ranking.

The following figure illustrates sample 1. Here, general 5 stands next to generals 2 and 3, and general 4 stands next to general 2 only.



You are given the rankings that the generals published. Your task is to arrange the generals $0, 1, \dots, N - 1$ in a row, so that if i and j are adjacent (where $i < j$) then i is **not** strictly in the second half of j 's ranking.

Input

The first line contains the positive integer N , the number of generals.

The following $N - 1$ lines contain the rankings. The first of these lines contains general 1's ranking, the second line contains general 2's ranking, and so on until general $N - 1$. General 0 is absent since general 0 didn't have any predecessors to rank.

The ranking of general i is a list with i integers $p_{i,0}, p_{i,1}, \dots, p_{i,i-1}$ in which every integer from 0 to $i - 1$ occurs exactly once. Specifically, $p_{i,0}$ is the best and $p_{i,i-1}$ is the worst general according to general i .

Output

Print a list of integers, an ordering of the numbers $0, 1, \dots, N - 1$, such that for each pair of adjacent numbers, neither is strictly in the second half of the other's ranking.

It can be proven that a solution always exists. If there are multiple solutions, you may print any of them.

Constraints and Scoring

- $2 \leq N \leq 1000$.
- $0 \leq p_{i,0}, p_{i,1}, \dots, p_{i,i-1} \leq i - 1$ for $i = 0, 1, \dots, N - 1$.

Your solution will be tested on a set of test groups, each worth a number of points. Each test group contains a set of test cases. To get the points for a test group, you need to solve all test cases in the test group.

Group	Score	Limits
1	11	The ranking of general i will be $i - 1, i - 2, \dots, 0$ for all i such that $1 \leq i \leq N - 1$
2	23	The ranking of general i will be $0, 1, \dots, i - 1$ for all i such that $1 \leq i \leq N - 1$
3	29	$N \leq 8$
4	37	No additional constraints

Example

The first sample matches the condition of test group 1. In this sample, neither general 2 nor 3 can stand next to general 0, and neither general 4 nor 5 can stand next to generals 0 and 1. The sample output was illustrated in the figure above.

The second sample matches the condition of test group 2. In this sample, general 2 can't stand next to general 1, general 3 can't stand next to general 2, and general 4 can't stand next to generals 3 and 2.

The third sample matches the condition of test group 3. In this sample, the only pairs of generals that can't stand next to each other are (1,3) and (0,2). Hence, there are no conflicts if they are arranged 3 0 1 2. Another possible answer is 0 1 2 3.

Input	Output
<pre> 6 0 1 0 2 1 0 3 2 1 0 4 3 2 1 0 </pre>	<pre> 4 2 5 3 1 0 </pre>
<pre> 5 0 0 1 0 1 2 0 1 2 3 </pre>	<pre> 2 0 4 1 3 </pre>
<pre> 4 0 1 0 0 2 1 </pre>	<pre> 3 0 1 2 </pre>